



IES/GATE

CIVIL ENGINEERING

VOLUME – X

Surveying,
Building Materials



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Surveying, building materials

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SURVEYING

Chapter 1 - Introduction

(#) Introduction :-

Earth - earth is an oblate spheroid.

Diameter = 12740 km (Average)

Average Radius = 6370 km

At equator = 12756.75 km

At Poles = 12713.80 km

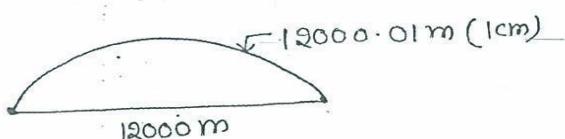
difference = 42.95 km

0.34 %

(#) Types of Surveying :-

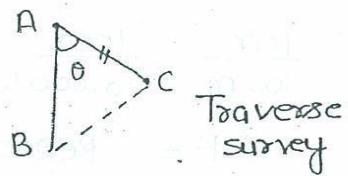
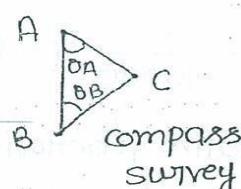
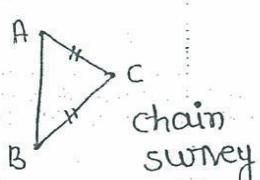
(1) Geodetic Survey :- If earth curvature is considered for survey work.

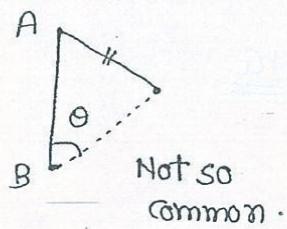
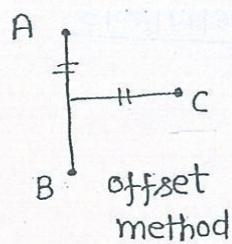
(2) Plane Survey :- If earth curvature is not considered.
suitable for small distance.



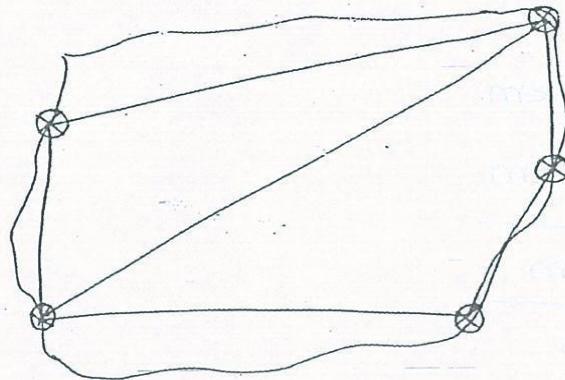
(#) Principle of Surveying :-

(1) Location of point is measured w.r.t. two reference points.





(2) Working Whole to part :-



→ Major control points are decided & measured accurately with high degree of precision. Minor details can be collected later to avoid the error to be accumulated

Classification Based on Purpose :-

1. Topographical Survey :-

→ These Surveys are used to obtain Maps which show details of natural and man made features on the Earth surface including elevation

Scale :- $1:25000$ to $1:10,00,000$ (No need to remember)

Ex :- Mountains, water bodies, woods, valley, rivers etc

2. Engineering Survey :-

→ These are surveys used for Engineering works like Railway, Highway, Canal, Bridge etc

Building :- $1:50$ to $1:200$

Bridge & other civil engineering works :- $1:500$ to $1:2500$

Highway :- $1:1250$ to $1:50,000$

3. Cadastral Survey :-

→ It is done to establish Property boundaries (विरेण्य)

Scale :- $1:1000$ to $1:5000$

4. Hydrographic Survey :-

→ These are the surveys done on (or) near the water body

Ex :- River, lake etc

5. Astronomical Survey :-

→ With the help of this survey we can determine ⁺Latitude, longitude and Local mean time at any place on the earth surface.

6. Geological Survey :-

→ It is done to determine information about various strata of earth surface

Classification based on Instrument :-

Chain Surveying :-

→ It is simplest type of Surveying in which only linear measurements are done with the help of chain and tape and no angular measurements are done.

Compass Surveying :-

→ It is the branch of Surveying in which horizontal angles and directions of lines are measured with Compass and length of line are measured with chain and tape.

Theodolite Survey :-

→ In this Surveying horizontal and vertical angles are measured with theodolite and distances are measured with chain or Tape.

Levelling :-

→ In this type of Survey, elevations of various points are measured with a levelling instrument and a vertical staff.

Plane table Surveying :-

→ In plane table Surveying, plan or Map is produced by determining directions of various points and taking linear measurements with chain or Tape.

Tacheometric Surveying :-

→ In this Surveying horizontal & Vertical distances are measured with a instrument called "Tacheometer".

Photogrammetric Survey :-

→ In this survey photographs are taken for an area which are inaccessible or time available is less and area to be survey is large.

LINEAR MEASUREMENTS

(#) (1) Scale :- Scale is a ratio of map distance to ground distance.

If on the drawing.

$$\text{Scale} \Rightarrow 1\text{cm} = 100\text{m}$$

$$1\text{ cm on paper} = 100\text{ m on ground}$$

Ratio :- $\frac{1\text{cm}}{100\text{m}} = \frac{1\text{cm}}{10,000\text{ cm}} = \frac{1}{10,000} (\text{R.F.})$

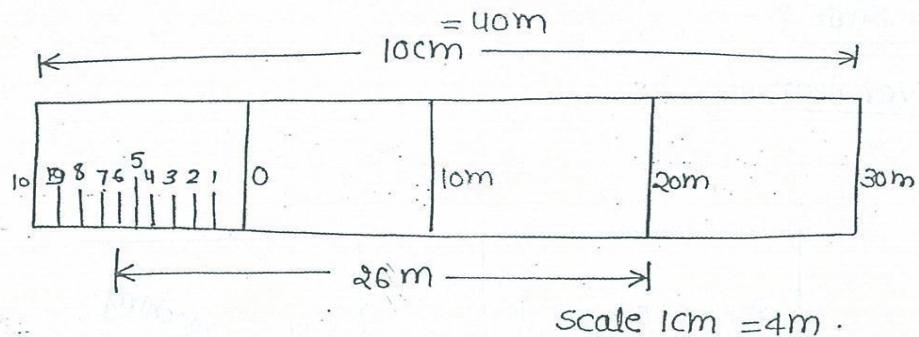
R.F. = Representative fraction.

Types of Scale :-

(1) Plane scale :- Plane scale measure only two dimension.

$$1\text{cm} = 4\text{m}$$

(#) How to make a scale $1\text{cm} = 4\text{m}$ -



(1) Take a 10cm long line divide it in 4 equal parts. Each part is of 10m length.

(2) Now divide 1st part in another 10 parts. This smaller divisions will show 1m.

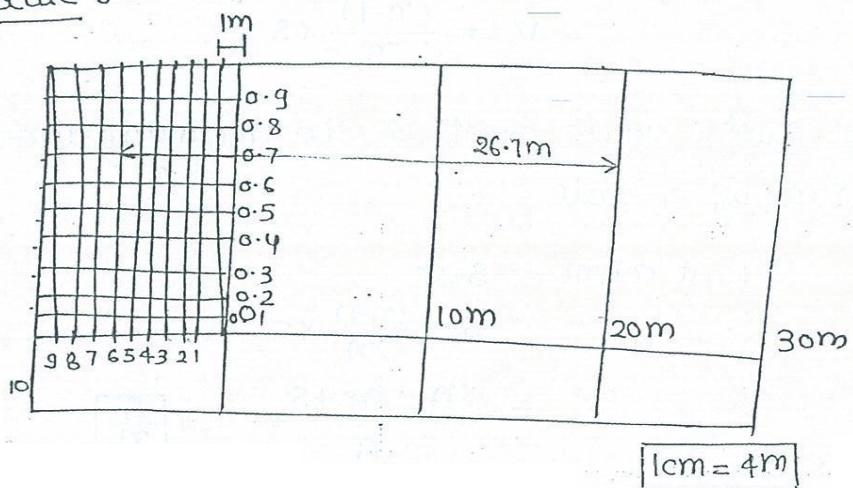
Two dimensions that can be read

① 10m (Decameter)

② 1m (metre)

(2) Diagonal scale :-

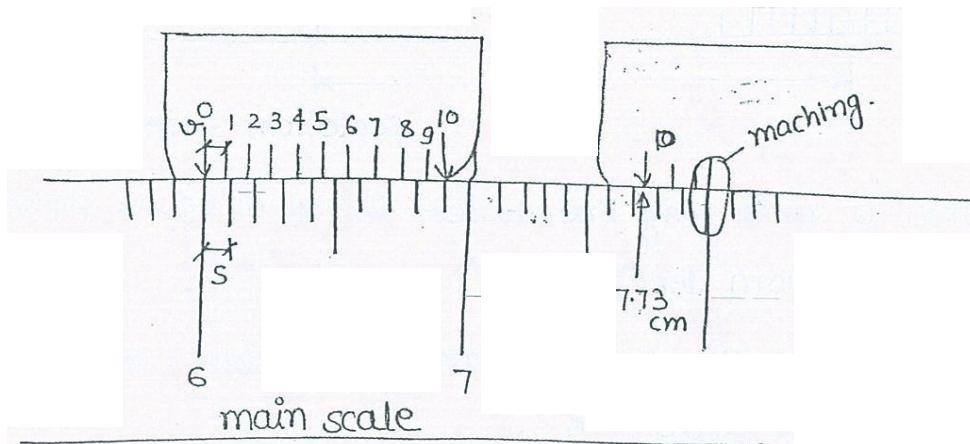
this scale can read upto three dimension



- It works on the principle of similar triangle.
- Three dimension
 - (1) 10m → Decameter
 - (2) 1m → meter
 - (3) 0.1m (10cm) → Decimeter.

(3) Vernier Scale :-

(P) Direct Vernier :-



- → In case of direct vernier $(n-1)$ division of main scale is divided into n divisions of vernier scale.

$$(n-1)s = n \times v$$

$$v = \frac{(n-1)}{n} \times s$$

④ Least count :- least count is the minimum dimension that can be read by a scale.

$$\begin{aligned} \text{Least count} &= s - v \\ &= s - \frac{(n-1)}{n} \times s \\ &= \frac{s(n-n+1)}{n} = \boxed{\left[\frac{s}{n} \right]} \end{aligned}$$

For Example -

$$S = 1\text{m}$$

$$n = 10$$

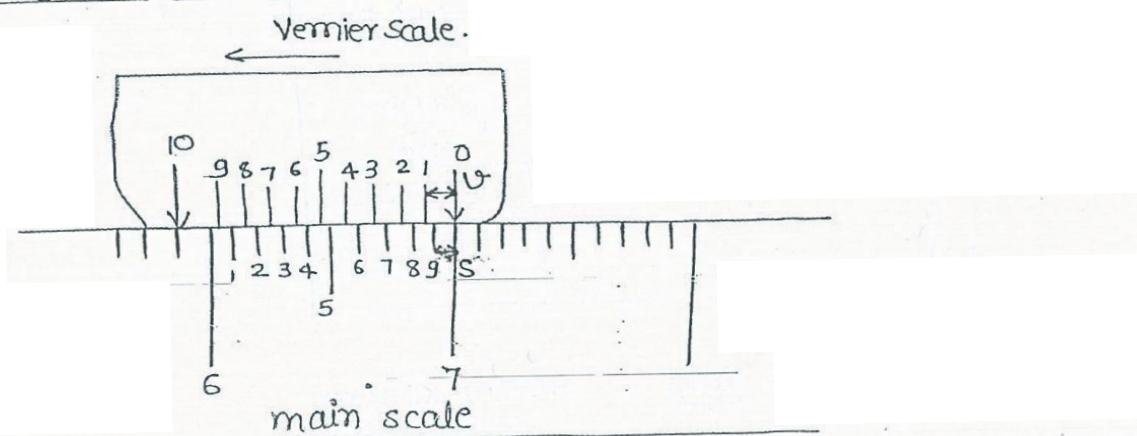
Least count

$$= \frac{S}{n} = \frac{1\text{mm}}{10} = 0.1\text{mm}.$$

④ Reading of vernier is taken by the line of vernier scale that will be exactly above of any one line of main scale.

Indirect Vernier → Vernier scale moves in the same dirⁿ of main scale.

(ii) Reversal Vernier -



⇒ In this case

$(n+1)$ division of main scale is divided into n division of vernier scale.

$$(n+1)S = nV$$

$$V = \left(\frac{n+1}{n}\right)S \quad \text{--- (1)}$$

Least Count →

$$= V - S = \left(\frac{n+1}{n}\right)S - S = \frac{ns + s - ns}{s}$$

$$= \frac{s}{n}$$

Example

$$S = 1\text{mm}$$

$$n = 10\text{mm}$$

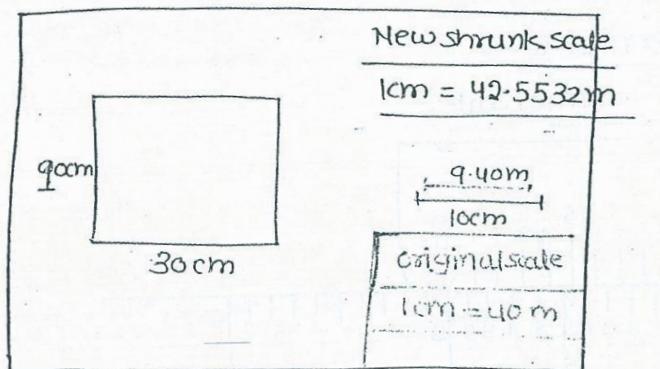
$$LC = \frac{1}{10} = 0.1\text{mm}.$$

→ In this scale, Vernier scale moves in opposite dir? to the main scale.

(iii) Double Vernier :-

The direct vernier (or Retrograde vernier), placed back to back with common zero value is called double vernier.

(4) Shrunk Scale :-



Present dimension Read : $30\text{cm} \times 10\text{cm}$

9.40 line was 10cm long =

$$30\text{cm} \longrightarrow \frac{10}{9.40} \times 30\text{cm} \\ = 31.915\text{cm}.$$

Ground length = 31.915×40
 $= 1276.60\text{ m.}$

$$10\text{cm} \longrightarrow \frac{10}{9.4} \times 10 = 10.638\text{cm.}$$

$$10.638 \times 40 = 425.53\text{m.}$$

Actual area of plot

$$\text{LxB} = 1276.6 \times 425.53 = 5432.34\text{m}^2.$$

Shrunk scale —

$$\text{shrinkage factor} = \frac{\text{shrunken length}}{\text{original length}}$$

Shrunk scale = shrinkage factor \times original scale.

shrinkage Factor

$$S.F. = \frac{9.40}{10.0} = 0.94$$

$$\begin{aligned} \text{original scale} \\ 1\text{cm} &= 40\text{m} \\ &= \frac{1}{4000} \end{aligned}$$

$$\begin{aligned} \text{shrunken scale} &= 0.94 \times \frac{1}{4000} \\ &= \frac{1}{4255.319} \end{aligned}$$

$$1\text{cm} = 42.5532\text{m}$$

$$\text{Area of the plot} = (30 \times 42.5532) \times (10 \times 42.5532)$$

$$A = 543232.23\text{ m}^2$$

Correction due to Incorrect length of chain/tape :-

(i) g.f.

L = Designated (True) length of a tape (should be)
(say 30.0 m.)

L' = wrong length of tape (say 30.25 m)

l' = wrong length of line measured

l = True length of line.

$$\text{True} \times \text{True} = \text{Wrong} \times \text{Wrong}$$

$$L \times l = L' \times l'$$

$$l = \left(\frac{L}{L'} \right) \times l' \quad \text{--- (A)}$$

example (1)

$$L = 30 \text{ m}$$

$$L' = 30.25 \text{ m}$$

$$l' = 6500 \text{ m}$$

$$\therefore l = \left(\frac{L'}{L} \right) \times l'$$

$$= \frac{30.25}{30} \times 6500$$

$$l = 6554.167 \text{ m}$$

Ex:2

$$L = 30 \text{ m}$$

$$L' = 29.70 \text{ m}$$

$$l' = 6500 \text{ m}$$

$$\therefore l = \left(\frac{L'}{L} \right) \times l'$$

$$= \left(\frac{29.70}{30} \right) \times 6500$$

$$l = 6435 \text{ m}$$

Measured Value on ground	Noted down value	Error	Correction
30.25 m (more)	30 m (less)	(-)ve (- 0.25)	(+) ve (+) 0.25 m
29.70 m (less)	30(m) (more)	(+)ve (+ 0.3)	(-)ve (-) 0.30 m

④ Tape Correction :-

(1) Correction due to standardization :-

If length of Tape / chain is not correct.

④ Correction per chain length :-

$$C = (L' - L)$$

+ve	$\rightarrow (+)$	correction
-ve	$\rightarrow (-)$	
		value.

④ Total correction required :-

$$C_{\text{Total}} = \left(\frac{\text{No. of chains}}{L} \right) \times C$$

$$C_{\text{Total}} = \left(\frac{l'}{L} \right) (L' - L)$$

case : (1)

$$L = 30 \text{ m}$$

$$L' = 30.10 \text{ m}$$

$$l' = 7200 \text{ m}$$

$$l = \left(\frac{L'}{L} \right) \times l'$$

$$\therefore \frac{30.10}{30} \times 7200$$

$$l = 7224 \text{ m}$$

Correction per chain length

$$C = (L' - L) = (30.10 - 30.0)$$

$$C = 0.10 \text{ m}$$

$$\text{No. of chains} = \frac{7200}{30} = 240 \text{ chains.}$$

$$\text{Total correction} = 240 \times 0.10 = +24 \text{ m.}$$

$$\text{corrected length} = 7200 + 24 = 7224 \text{ m.}$$

This correction may be either '+ve' or '-ve'

(ii) In case of Area :-

$$A = \left(\frac{L'}{L}\right)^2 \times A' \quad \text{--- (2)}$$

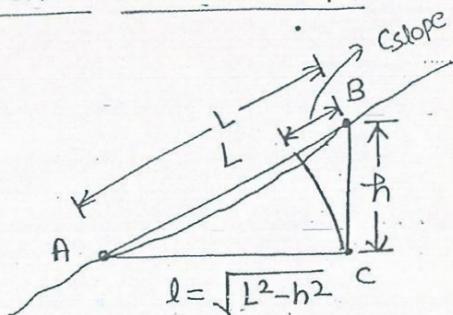
(iii) In case of Volume :-

$$V = \left(\frac{L'}{L}\right)^3 \times V' \quad \text{--- (3)}$$

(iv) for length :-

$$l = \left(\frac{L'}{L}\right) \times l' \quad \text{--- (1)}$$

(v) (Q.) Correction due to slope :-



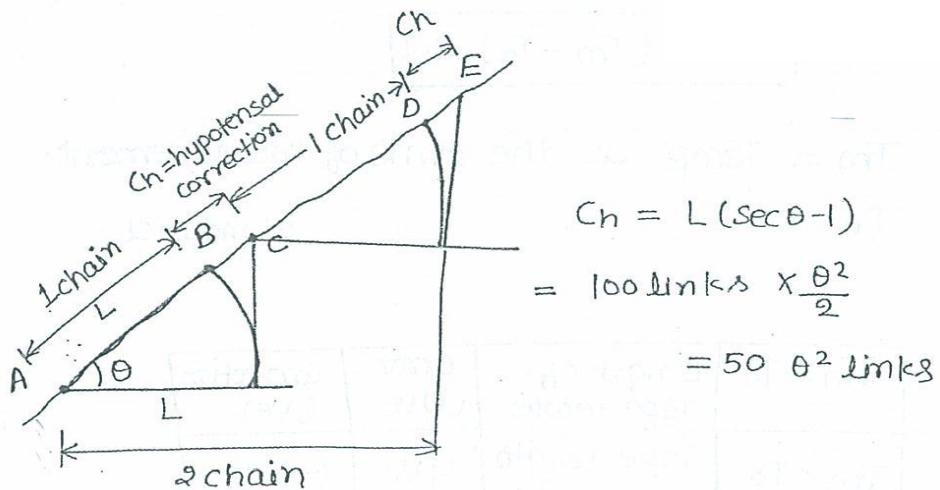
Correction for slope

$$c\text{slope} = L - l = L - \sqrt{L^2 - h^2} \rightarrow \text{exact difference.}$$

$$c\text{slope} = \frac{h^2}{2L} \rightarrow \text{approximate formula.}$$

This correction is always +ve.

Hypotenusal Correction



$$Ch = L(\sec \theta - 1)$$

$$= 100 \text{ links} \times \frac{\theta^2}{2}$$

$$= 50 \theta^2 \text{ links}$$

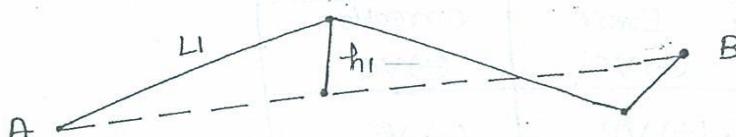
$$AC = L \sec \theta$$

$$BC = AC - BA = L \sec \theta - L$$

$Ch = L(\sec \theta - 1) \rightarrow$ Hypotenusal Correction.

applied (added) after every chain length

(3) Correction due to Alignment :-



Correction due to alignment -

$$Cal = L - \sqrt{L^2 - h^2}$$

$$\boxed{Cal = \frac{h^2}{2L}} \rightarrow \text{This correction is also } (-)\text{ve. (always).}$$

(4) Correction due to temperature :-

Correction :

$$C_T = (T_m - T_0) \cdot \alpha \cdot L$$

T_m = Temp. at the time of measurement.

T_0 = " " " Standard .

$T_m > T_0$	Length of Tape more	Error (-)ve	Correction (+)ve
$T_m < T_0$	Tape length less	(+)ve	(-)ve

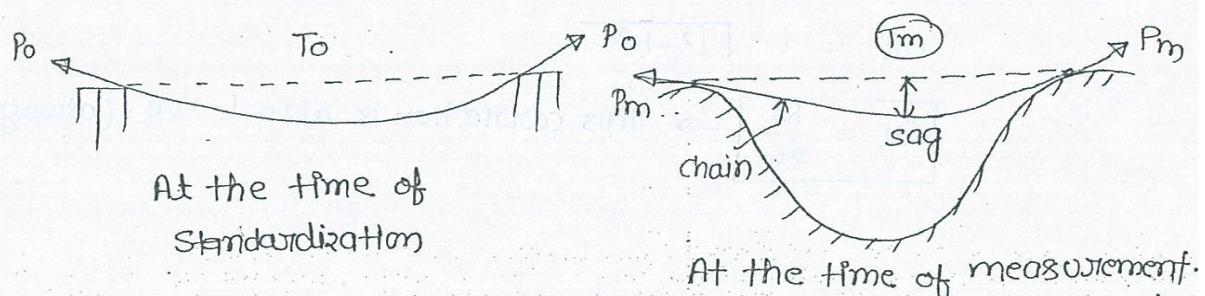
(5) Correction due to pull applied :-

$$C_{\text{pull}} = \frac{(P_m - P_0) \cdot L}{AE}$$

P_m = Pull applied at the time of measurement .

P_0 = " " " " " Standardization .

$P_m > P_0$	Error (-)ve	Correction (+)ve
$P_m < P_0$	(+)ve	(-)ve



(6) Due to Sag :-

$$c_{\text{sag}} = \frac{(w \cdot L)^2 \cdot L}{24 P_m^2}$$

The correction is
always (-ve)

w = wt. of tape / unit length.

Normal tension :-

It is the value of pull (P_m) applied so that (+ve) pull correction is same as (-ve) sag correction, and they neutralize each other.

$$c_{\text{pull}} = c_{\text{sag}}$$

$$\frac{(P_m - P_o) L}{AE} = \frac{(wL)^2 \cdot L}{24 P_m^2}$$

Solve by
trial & error