



CSIR-NET

Council of Scientific & Industrial Research

CHEMICAL SCIENCE

VOLUME - V

PHYSICAL CHEMISTRY



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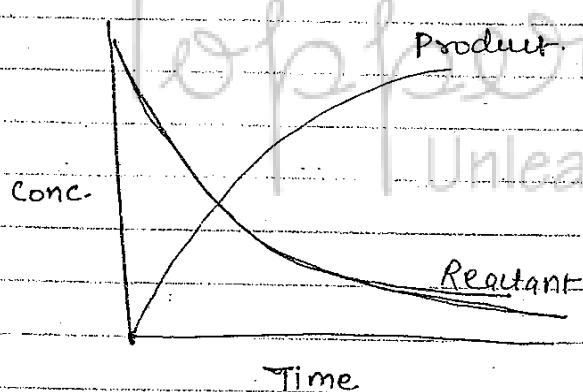
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CHEMICAL KINETICS

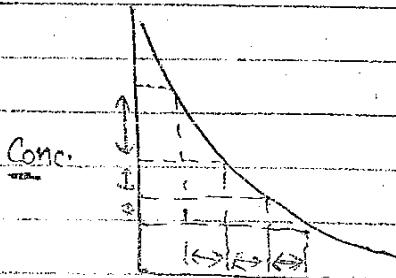
Rate of Reaction →

The Change of concentration of product or reactant with time is called Rate of Reaction.

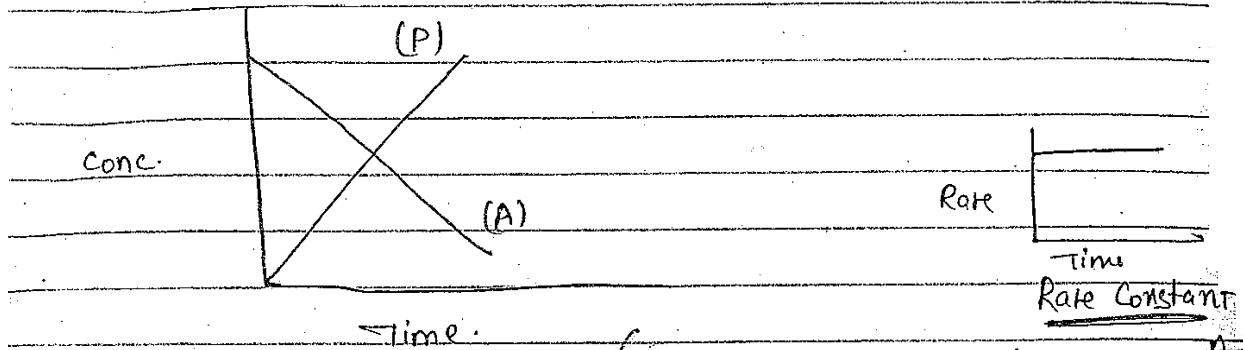
$$\text{Rate} = \pm \frac{dx}{dt} = \frac{\text{Change in conc. of Reactant or Product}}{\text{Time taken.}}$$



* The magnitude of slope of concⁿ Change of Reactant decreased with time, so rate of rxn w.r.t Reactant decrease.



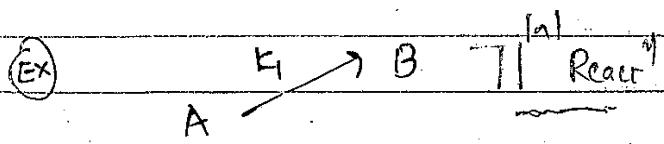
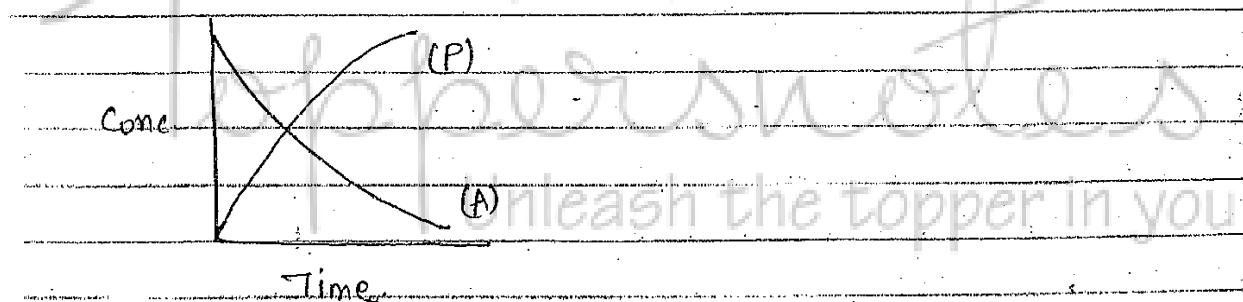
(Ex) $A \rightarrow P$ (~~zero~~ n^{th} Order $R \propto n^1$)



= Here Conc. linearly varies. (but we can say for particular cond.)

सिर के लिए $R \propto K$
सिर के लिए $K = k$

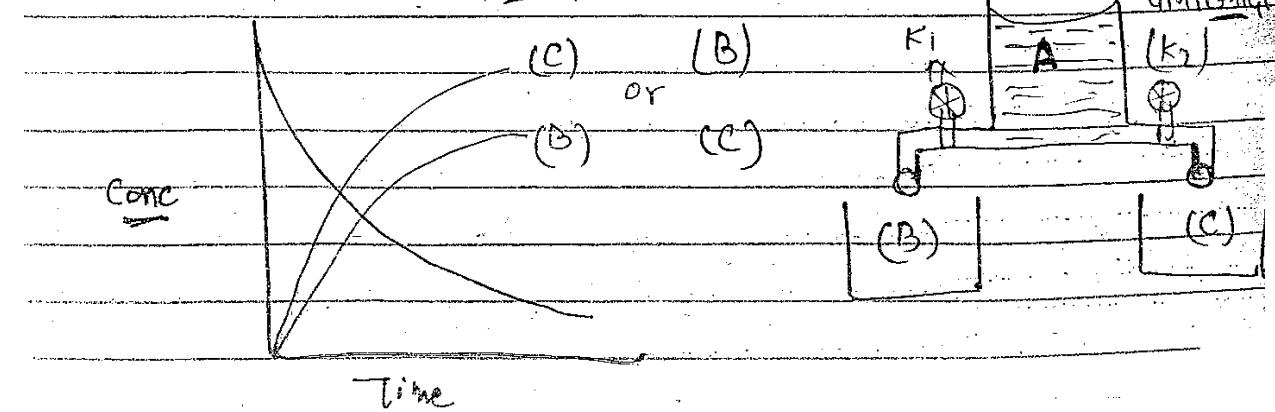
(Ex) $A \rightarrow P$ (n^{th} Order
 $n > 0$)

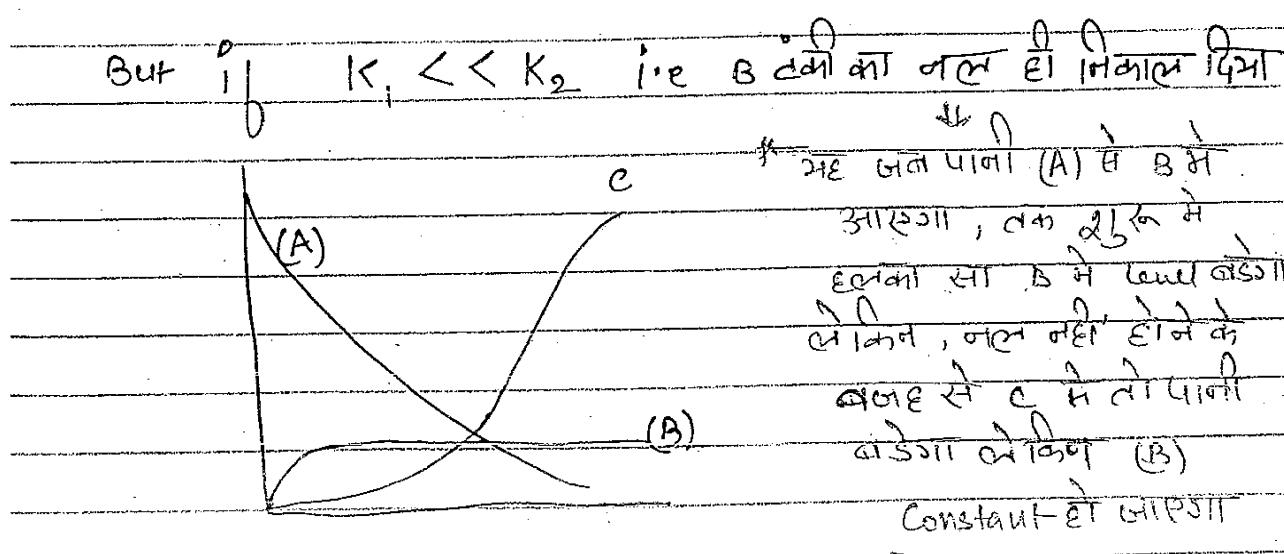
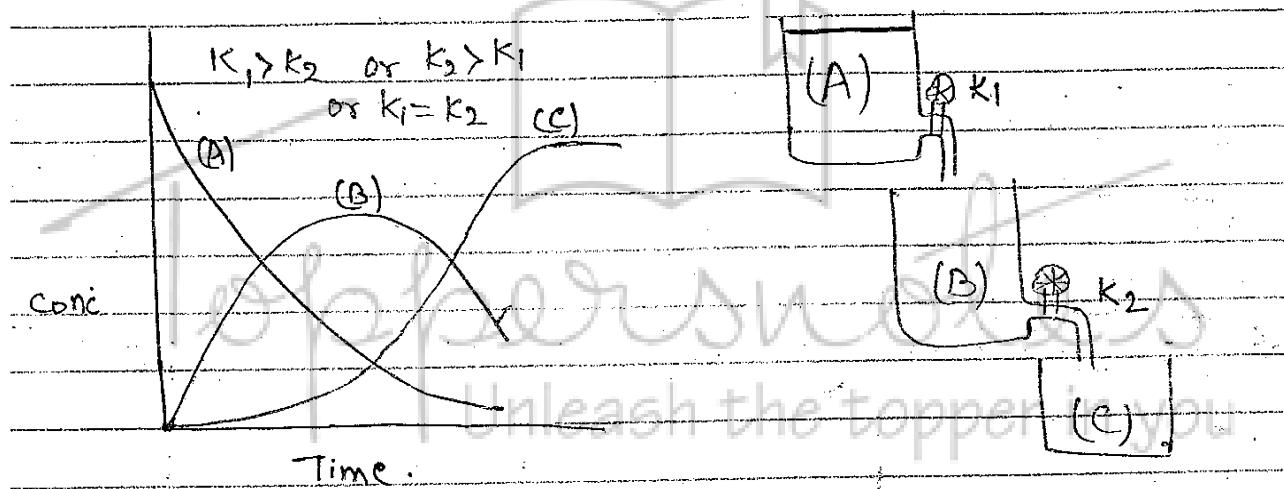
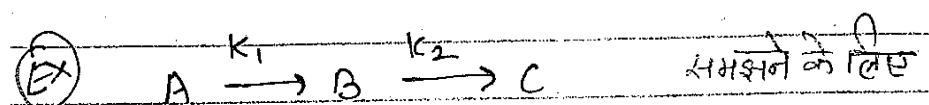
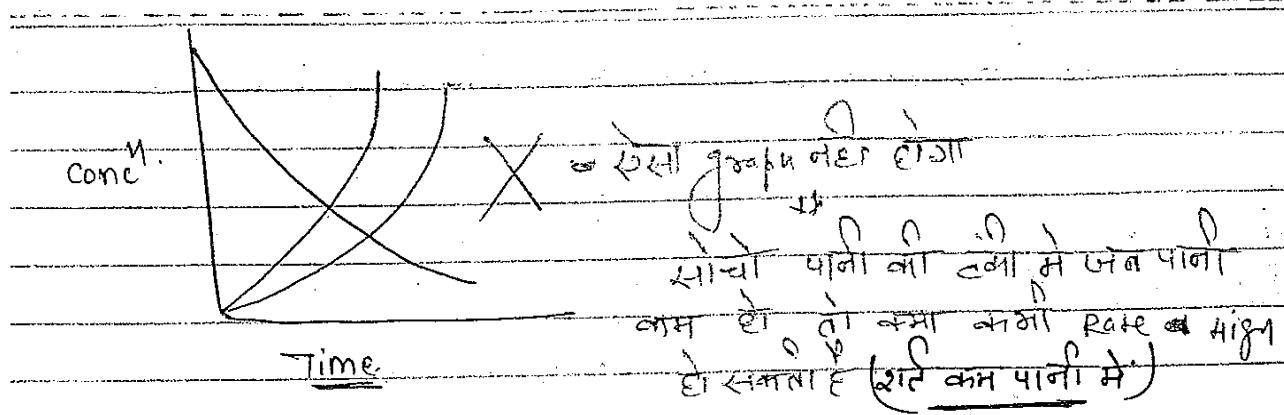


सिर का T_{max}^0

पानी की तरीकी, जल
जल जमादा रखना (like, like)

$k_1 > k_2$ $k_2 > k_1$ Bucket में पानी डालना





Ques. करने का तरीका

- ① stoichiometry relationship हमें Rate of Rxn से dealing करते समझ देता है। जिसकी लिए R/P की conc. की जौँदे उसके बीच पर्याप्ति तर वह use करता है।
- ② अब अपनी किसी P/R की conc. के बीच जौँदे अपनी form of dissap. पढ़ा देता है।

For a Reaction



$$\text{Rate of Rxn} = -\frac{1}{2} \frac{d(A)}{dt} = -\frac{d(B)}{dt} = \frac{1}{3} \frac{d(C)}{dt}$$

Avg ROR

link with reaction stoichiometry

Resultant \rightarrow -

Product \rightarrow +ve

- (1) For a reaction $2A + B \rightarrow 3C$, the Concentration of A decreases from 3.0M to 1.0M in 20 minutes.

(i) The rate of rxn will be.

- (a) 0.1 M/minute (b) 0.01 M/minute (c) 0.5 M/min. (d) 0.05 M/min

(ii) The rate of disappearance of A will

- (a) 0.1 M/minute (b) 0.01 M/minute (c) 0.5 M/min. (d) 0.05 M/min

Sol. (i) Rate of Rxn. = $\frac{1}{2} \frac{d(A)}{dt}$

$$= \frac{1}{2} \times \frac{3-1}{20} = \frac{1}{2} \times \frac{2}{20} = 0.05 \text{ M/min}$$

(ii) Rate of disappearance of A = $\frac{d(A)}{dt} = \frac{3-1}{20} = \frac{2}{20} = 0.1$

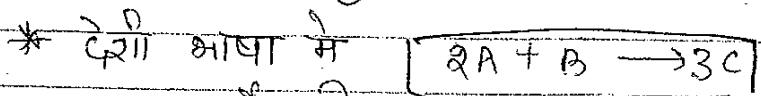
* Rate of Rxn = $\frac{1}{V} \frac{dn}{dt}$

V = stoichiometric coefficient

- (iii) The rate of disappearance of B will be

$$\frac{1}{2} \frac{d(A)}{dt} = \frac{dB}{dt} \Rightarrow \frac{0.1}{2} = \frac{dB}{dt} \Rightarrow 0.05 \text{ M/min.}$$

(i) The rate of formation of C will be



C बढ़ता है की B का से 3 गुना है
अब कि A की में 1/2 गुना है.

(OR) Rate of $R_x^M = \frac{1}{3} \left(\frac{dC}{dt} \right) \rightarrow$ Rate of formation

∴ $3 \times \text{Rate of } R_x^M = \frac{dc}{dt}$

$$\frac{1}{2} \frac{dA}{dt} = \frac{1}{3} \left(\frac{dc}{dt} \right)$$

$$0.05 = \frac{1}{3} \left(\frac{dc}{dt} \right) \Rightarrow \frac{dc}{dt} = 0.05 \times 3 = 0.15$$

(ii) consider a R_x^M .



Given

$$-\frac{d(A)}{dt} = k_1 (A)(B)$$

$$-\frac{d(A)}{dt}, -\frac{d(B)}{dt}, \frac{d(C)}{dt}$$

$$-\frac{d(B)}{dt} = k_2 (A)(B)$$

$\frac{d(C)}{dt}$ equal हो.

$$-\frac{d(C)}{dt} = k_3 (A)(B)$$

को यहाँ से जूहे equal करा।

(A) $k_1 = 2k_2 = 3k_3$

$$\frac{1}{2} \frac{d(A)}{dt} = \frac{k_1 (A)(B)}{2}$$

(B) $2k_1 = k_2 = 3k_3$

$$\frac{d(B)}{dt} = k_1 (A)(B)$$

(C) $3k_1 = k_2 = 2k_3$

$$\frac{1}{3} \frac{d(C)}{dt} = k_3 (A)(B)$$

(D) $\frac{k_1}{2} = k_2 = \frac{k_3}{3}$

Now L.H.S and R.H.S are equal

\therefore में (A) & (B) in R.H.S एक समान हैं

$$\therefore \frac{k_1}{2} = k_2 = \frac{k_3}{3}$$

(Q) For a Rx^4 : $2A + B \rightarrow 3C$

Given

$$\begin{aligned} -\frac{1}{2} \frac{d(A)}{dt} &= k_1 (A)(B) \\ -\frac{1}{3} \frac{d(B)}{dt} &= k_2 (A)(B) \\ \Rightarrow \frac{1}{2} \frac{d(C)}{dt} &= k_3 (A)(B) \end{aligned}$$

Here Rate of Rx same

∴ के दर समान

$$\therefore k_1 = k_2 = k_3$$

(Q) For a Rx^n : $2A + B \rightarrow 3C$

$$\begin{aligned} -\frac{1}{2} \frac{d(A)}{dt} &= k_1 (A)(B) \\ -\frac{1}{3} \frac{d(B)}{dt} &= k_2 (A)(B) \\ \Rightarrow \frac{1}{2} \frac{d(C)}{dt} &= k_3 (A)(B) \end{aligned}$$

के दर बराबर हैं, तो के दर बराबर हैं

$$\therefore \frac{1}{2} \left(-\frac{d(A)}{dt} \right) = \frac{1}{2} k_1 (A)(B)$$

$$3 \times \left(-\frac{1}{3} \frac{d(B)}{dt} \right) = 3 k_2 (A)(B)$$

$$\frac{2}{3} \times \left(\frac{1}{2} \frac{d(C)}{dt} \right) = \frac{2}{3} k_3 (A)(B)$$

i.e. $-\frac{1}{2} \frac{d(A)}{dt} = \frac{k_1(A)B}{2}$

$$-\frac{d(B)}{dt} = 3k_1(A)B$$

$$\frac{1}{3} \frac{d(C)}{dt} = \frac{2}{3} k_3(A)B$$

Now Rate equal so LHS = RHS

$$\frac{k_1}{2} = 3k_2 = \frac{2}{3} k_3$$

अब इसके $A \overset{?}{=} B \overset{?}{=} C$
Match करेंगे



Given

$$-\frac{1}{3} \frac{d(A)}{dt} = k_1(A)B$$

$$\frac{d(B)}{dt} = k_2(A)B$$

$$+\frac{1}{2} \frac{d(C)}{dt} = k_3(A)B$$

LHS आमी equal हो जाएगा तो $\frac{d}{dt}$ equal होगा

i.e.

$$\frac{3}{2} \times -\frac{1}{3} \frac{d(A)}{dt} = \frac{3}{2} k_1(A)B$$

$$\frac{d(B)}{dt} = k_2(A)B$$

$$\frac{2}{3} \times \frac{1}{2} \frac{d(C)}{dt} = \frac{2}{3} k_3(A)B$$

$$-\frac{1}{2} \frac{d(CA)}{dt} = \frac{3}{2} k_1 (A)(B)$$

$$\frac{d(B)}{dt} = k_2 (A)(B)$$

$$\frac{1}{3} \frac{d(C)}{dt} = \frac{2}{3} k_3 (A)(B)$$

NOW L.H.S = R.H.S

TYPES OF REACTION.

1

ELEMENTARY REACTION.

↓L

- Rx^{ns} which completes in a single step and there is no experimentally detectable intermediate is formed; then Rx^u is called "ELEMENTARY Rx^u".

COMPLEX REACTION

- Rx^{ns} which are complete in more than one step and at least one experimentally detectable intermediate is formed; then Rx^u is called "COMPLEX Rx^u".

- The order and molecularity of elementary Rx^u are same (except Pseudo order).

- There is no significance of molecularity and order of Rx^u determined by SSA (Steady State Approximation). Method of equilibrium method.

- Each step of Complex Rx^u is elementary Rx^u.

- The steps involved in Complex Rx^u are consecutive i.e. A $\xrightarrow{f} B \xrightarrow{g} C \xrightarrow{h} D$

→ The order and molecularity of elementary reaction are same (except pseudo-order)

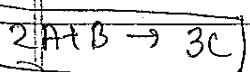
→ There is no significance of molecularity and order of Rx^n determined by (SSA) Steady State Method or equilibrium Method

(each step has its own Arrhenius complexation, each eqn in complex) is elementary rxn Rx^n .

→ The steps involve in complex reaction are consecutive

* Order and Molecularity :-

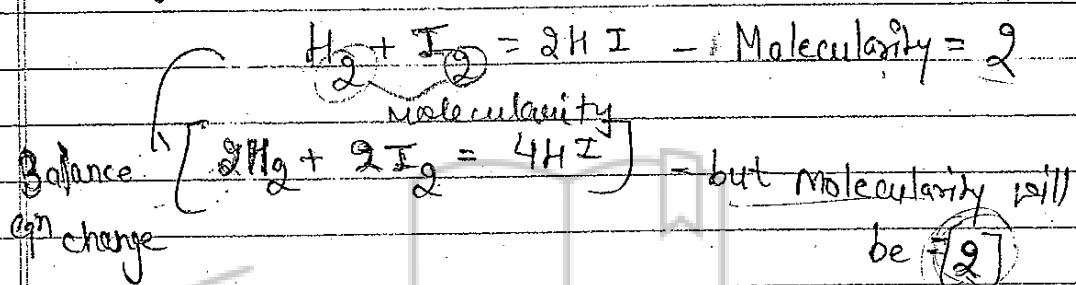
Molecularity → The total no of reactant molecule participate in an stoichiometric equation of a elementary reaction.



divide
by 2
to get
1 A + 1/2 B
reactants

2. Molecularity never "Zero", never "-ve" & never fractional (Integer Value)

3. The molecularity of the rxn. not change with changing the balance equation.



4. The value of molecularity is not very high but of effective collisions.

5. There is no significance of molecularity in Complex reactions, Each step of complex reaction has their individual molecularity, but sometimes molecularity of complex reaction expressed by the molecularity of RDS (slow step).

* ORDER OF REACTION

The no of reactant molecule participate in the RDS Step of the reaction, called order of rxn.

* Elementary rxn whose order and molecularity are diff. called pseudoorder rxn.

In other words, the order of reaction is the sum of the powers of concn terms present in the rate law of the rxn

$$\text{Rate} = [A]^x [B]^y$$

$[x+y] \Rightarrow \text{order}$

→ Order of reaction may be Zero, Fractional or -ve.

→ The order of reaction also not high, bcs of effective Collision factor.

→ Experimentally there is no examp. of overall -ve order.

* Rate law :- of the Reaction →

Acc. to rate law rate of rxn is directly proportional to the effective concentration of reactants.



Acc. to rate Law →

$$\text{Rate} \propto [A]^x [B]^y$$

$$\text{Rate} = k [A]^x [B]^y$$

(imp)

$$\text{Unit of } k = (\text{mol lit}^{-1})^{(1-n)} \text{ time}^{-1}$$

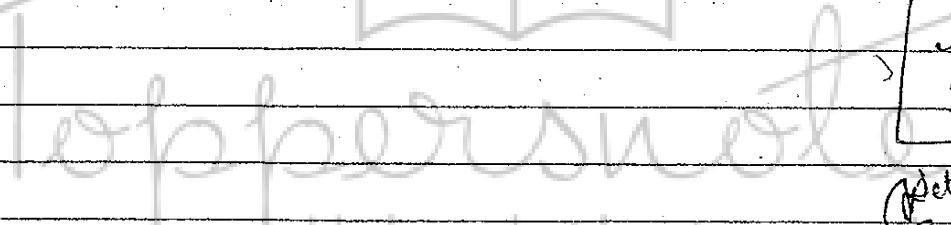
k - rate const

$$k = [A]^n$$

$$k = \frac{\text{rate}}{[A]^n} = \frac{(\text{mol lit}^{-1}) \text{ time}^{-1}}{(\text{mol lit}^{-1})^n}$$

$$\text{Unit of } k = (\text{mol lit}^{-1})^{1-n} \text{ time}^{-1}$$

Zero order	1 st order	2 nd order	3 rd order
$n=0$	$n=1$	$n=2$	$n=3$
$\text{mol lit}^{-1} \text{ time}^{-1}$	time^{-1}	$\text{lit}^{-1} \text{ mol}^{-1} \text{ time}^{-1}$	$\text{lit}^2 \text{ mol}^{-2} \text{ time}^{-3}$


 (Set June 2018)

$$\text{Rate} = k[A]^n$$

$$[A] = 1 \text{ M (Unity)}$$

then $\text{rate} = k$

$\text{Specific Rate} \Rightarrow \boxed{\text{Specific Rate Constant}}$

The Value of specific rate and specific rate constant will be same.

The Unit of specific rate constant depends on order of rxn i.e.